

Have Financial Markets Become More Informative?

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with

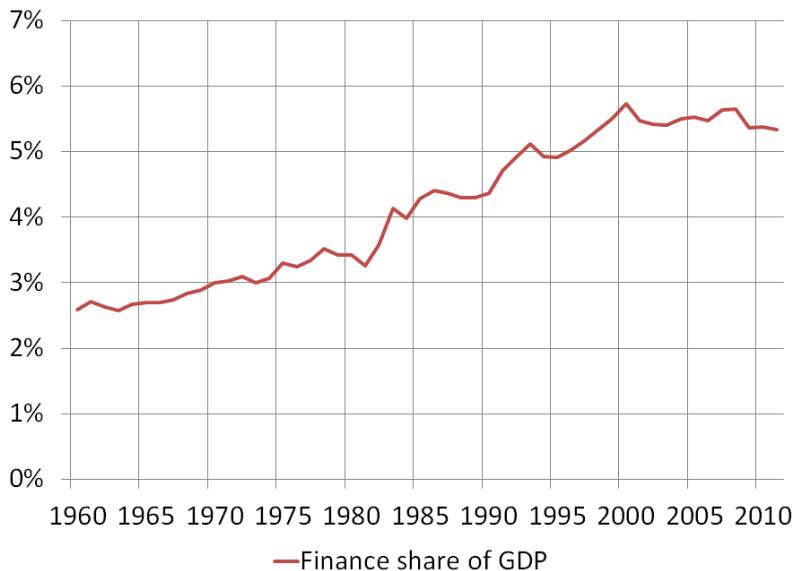
Jennie Bai and Thomas Philippon



NYU Stern

Research Day 2012

The growth of the financial sector



The role of the financial sector

The allocation of capital

Risk-sharing

Consumption-smoothing

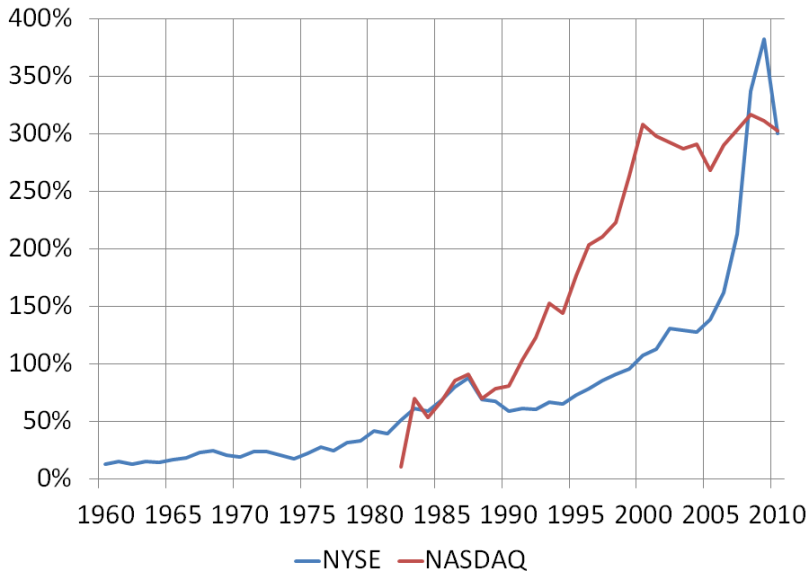
The role of the financial sector

The allocation of capital

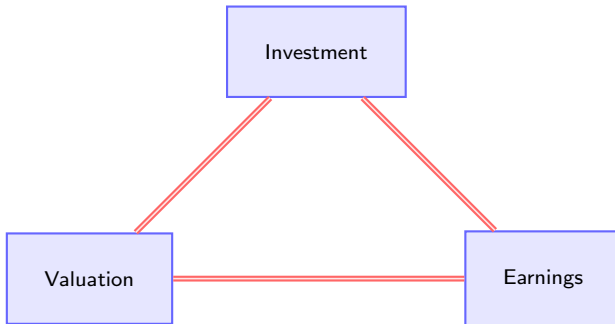
Risk-sharing

Consumption-smoothing

Trading volume (annual turnover)



The allocation of capital



Framework 1: Exogenous information (q – theory)

Two firms, A and B :

$$i_A - i_B = \frac{q_A - q_B}{\gamma} = \frac{E[z_A] - E[z_B]}{\gamma(1+r)}$$

- 1 Tobin's q predicts future earnings z
- 2 Investment i is explained by q
- 3 Investment i predicts future earnings z

Framework 1: Welfare

- Wealth is increasing in the standard deviation of the predictable component of earnings $\sigma_{E[z]}$:

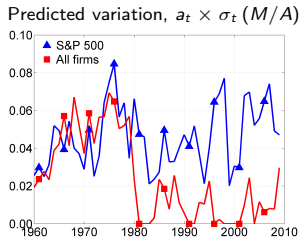
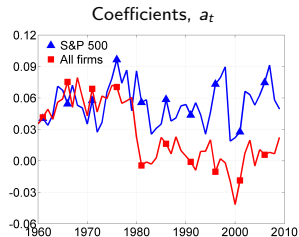
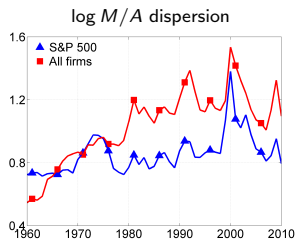
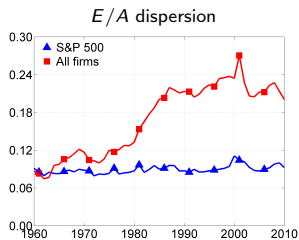
$$V \equiv \int_i v_i = \frac{1}{2\gamma} \left[\left(\frac{\bar{z}}{1+r} - 1 \right)^2 + \left(\frac{\sigma_{E[z]}}{1+r} \right)^2 \right]$$

v_i : value of firm i
 \bar{z} : average earnings

- Information \Rightarrow the **option** to invest.
- Links **price dispersion** and **welfare**.

S&P 500 versus all firms

$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log \left(\frac{M_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$



Framework 2: Endogenous information (Kyle model)

- What is the link between financial development and the standard deviation of the predictable component?
- What does an increase in firm uncertainty imply about information production?
- What is the right measure of financial sector efficiency?

Regress future earnings on current prices

σ_s : signal strength σ_u : noise trader demand
 σ_v : overall volatility ψ : cost of information

Linear regression	Exogenous information	Endogenous information	If $\sigma_v \uparrow$	If $\psi \downarrow$
Predicted variation	$\frac{1}{\sqrt{2}}\sigma_s$	$\frac{1}{\sqrt{2}}\sigma_v - \sqrt{\frac{\psi}{2} \left(\frac{\sigma_v}{\sigma_u}\right)}$	\uparrow	\uparrow
Price dispersion	$\frac{1}{\sqrt{2}}\sigma_s$	$\frac{1}{\sqrt{2}}\sigma_v - \sqrt{\frac{\psi}{2} \left(\frac{\sigma_v}{\sigma_u}\right)}$	\uparrow	\uparrow
R^2	$\frac{1}{2} \left(\frac{\sigma_s}{\sigma_v}\right)^2$	$\frac{1}{2} \left(1 - \sqrt{\frac{\psi}{\sigma_v \sigma_u}}\right)^2$	\uparrow	\uparrow
Info expenditure	N/A	$\sqrt{\psi \sigma_v \sigma_u} - \psi$	\uparrow	$\uparrow \downarrow$

S&P 500 firms: Forecasting earnings with equity prices

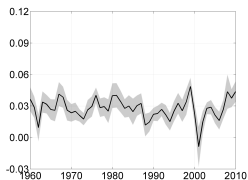
$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log \left(\frac{M_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{S(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

Coefficients, a_t

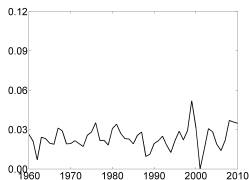
Predicted variation, $a_t \times \sigma_t(\log M/A)$

Marginal R^2

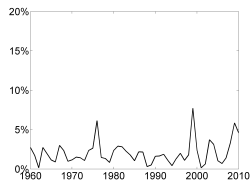
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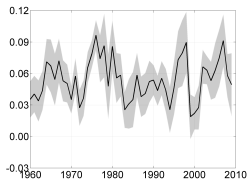
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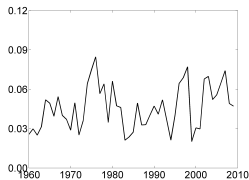
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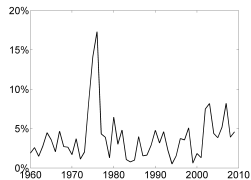
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$k = 3$



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S&P 500 firms: Forecasting earnings with bond spreads

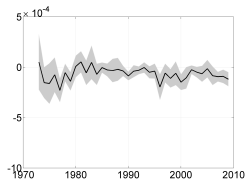
$$\frac{E_{i,t+3}}{A_{i,t}} = a_t \log(y_{i,t} - y_{0,t}) \times \mathbf{1}_t + b_t \left(\frac{E_{i,t}}{A_{i,t}} \right) \times \mathbf{1}_t + c_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}.$$

Coefficients, a_t

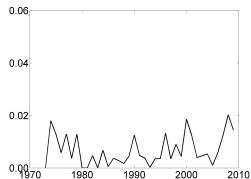
Predicted variation, $a_t \times \sigma_t(y_{i,t} - y_{0,t})$

Marginal R^2

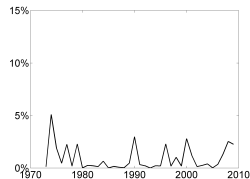
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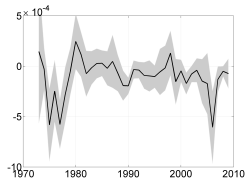
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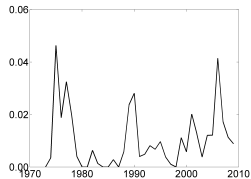
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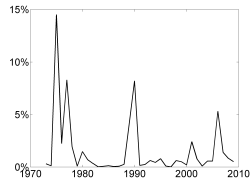
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$k = 3$

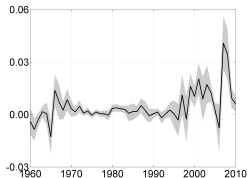


S&P 500 firms: Forecasting R&D with equity prices

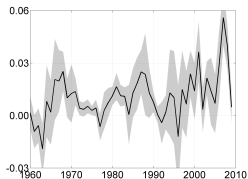
$$\frac{R\&D_{i,t+k}}{A_{i,t}} = a_t \log\left(\frac{M_{i,t}}{A_{i,t}}\right) \times \mathbf{1}_t + b_t \left(\frac{R\&D_{i,t}}{A_{i,t}}\right) \times \mathbf{1}_t + c_t \left(\frac{E_{i,t}}{A_{i,t}}\right) \times \mathbf{1}_t + d_{s(i,t),t} (\mathbf{1}_{SIC1}) \times (\mathbf{1}_t) + \epsilon_{i,t}$$

Coefficients, a_t

$k = 1$

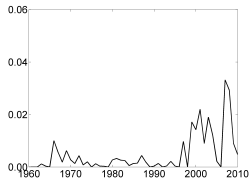


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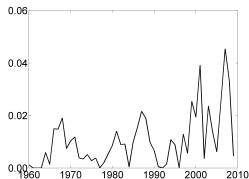


Predicted variation, $a_t \times \sigma_t(\log M/A)$

$k = 1$

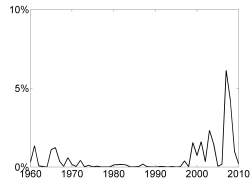


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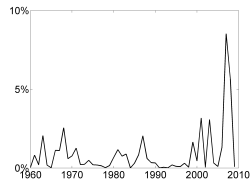


Marginal R^2

$k = 1$

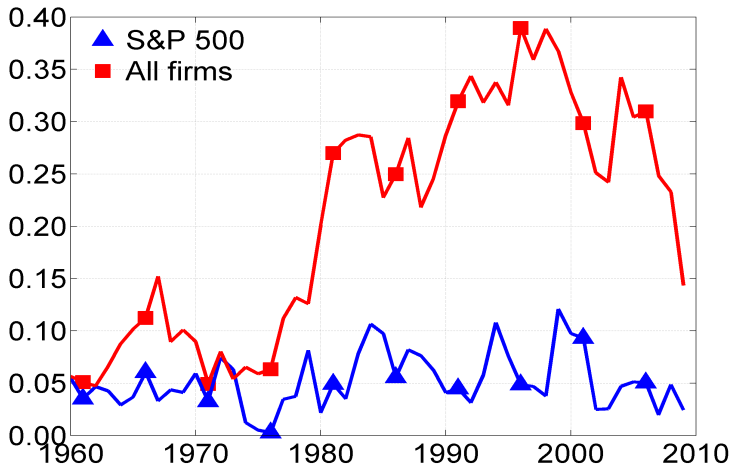


$k = 3$



Financial sector efficiency

- Based on our model, back out the cost of information ψ assuming constant noise trader demand.



Conclusion

- The finance industry has grown.
- We find little evidence of increased predictability.

Dispersion

